

PREDICTION MODELING FOR ACADEMIC SUCCESS



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Conflict of Interest

I have no affiliation or financial interest with or involvement in any organization or entity that will be discussed as part of this presentation.



Objectives

- To identify factors which may predict academic success
- To evaluate factors to decide which may contribute to predicting academic success
- To create a prediction model that fits the learners' specific situation
- To evaluate whether or not their prediction model has the ability to identify the most qualified candidates

“Begin with the end in mind”

(Covey, 2004)

- What is the ultimate indicator of student success in an academic program?
 - In Athletic Training it is 1st-attempt Board of Certification (BOC) exam success
- Second question: How does one go about predicting who might be successful in a graduate academic program?
 - Prediction modeling
- For today’s presentation, I will use a Professional Master’s of Athletic Training Program as my example

Outcome Measures

- Based on:
 - Sensitivity
 - Specificity
 - Odds Ratio
 - Relative Risk???
 - Likelihood Ratios



Odds Ratio

- The odds that an outcome will occur given a particular exposure, compared to the odds of the outcome occurring in the absence of that exposure
- If the odds are the same for both groups, $OR = 1.0$



Odds Ratio

- Odds and horse racing
 - 2:1 horse or 50:1 horse?
 - 2:1 is better than the long shot of 50:1
- 2:1 injury/academic success or 50:1 injury/ academic success
 - 50:1 says you are more likely to get injured or have academic success than someone at 2:1



Relative Risk

- The likelihood that someone who has been exposed to a risk factor will develop the injury as compared to someone who does not have the risk factor
 - If the probability is the same for both groups, $RR = 1.0$



Relative Frequency of Success

- Relative Frequency of Success (RFS) replaced Relative Risk since risk is not an appropriate term when measuring success
- Relative Frequency of Success is defined as:
 - The likelihood that someone who has the predictor is forecast to be successful in a graduate academic program is successful compared with one who has not been so classified

Likelihood Ratios

- Positive LR (or +LR) is the probability that a student with the predictor (or possesses the predictor), would be successful in a graduate academic program compared to the probability that a student without the variable (or does not possess the predictor) would be successful in a graduate program
- Negative LR (or -LR) is the probability that a student w/o the predictor would be successful in a graduate academic program compared to the probability of the student with the predictor would be successful in a graduate program

Interpreting Different Statistics

| Association | Small | Moderate | Large | Very Large |
|---|------------|-------------|------------|-------------|
| Odds Ratio | ≥ 1.5 | ≥ 3.4 | ≥ 9.0 | ≥ 32.0 |
| Relative Risk/Relative Frequency of Success | ≥ 1.1 | ≥ 1.4 | ≥ 2.0 | ≥ 3.3 |
| + Likelihood Ratio | ≤ 5.0 | ≤ 10.0 | > 10.0 | |
| - Likelihood Ratio | ≤ 0.5 | ≤ 0.2 | < 0.1 | |
| Hazards Ratio | ≥ 1.3 | ≥ 2.0 | ≥ 4.0 | ≥ 10.0 |

Steps in Prediction Modeling

- Three step process

1. Create the prediction model

- Clear operational definition of the dependent variable
- ID any and all potential predictor variables

2. Determine validity

- Apply rule to a different population

3. Conduct impact analysis

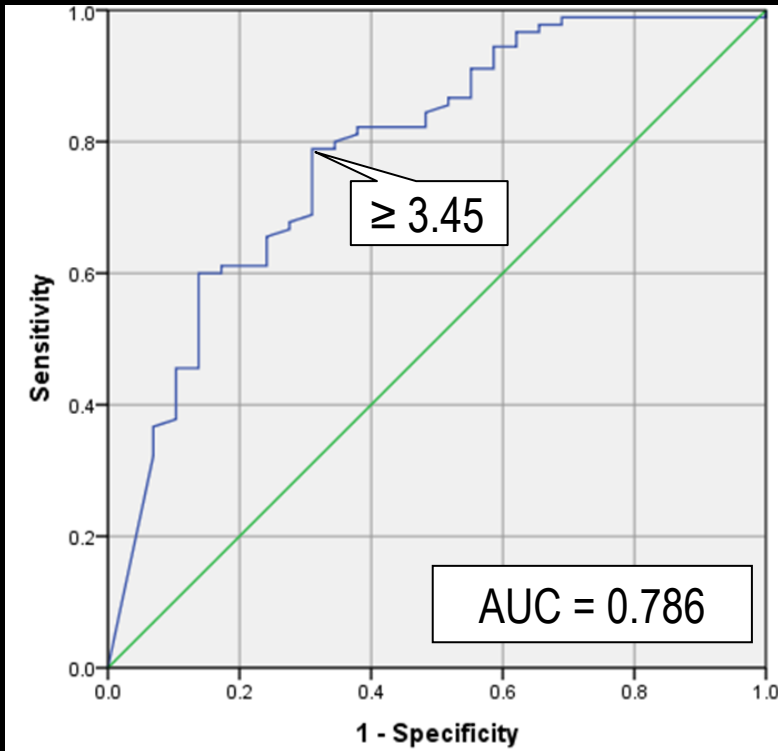
- Evidence rule change behavior, changes outcomes, or reduces costs

**Today's focus will be on
the development of CPGs**

Clear Operational Definition of the Dependent Variable

- Success in a grad program is difficult to define
 - Most commonly accepted indicator of academic success is GPA

| Association | Small | Moderate | Large | Very Large |
|---|-------|----------|--------|------------|
| Odds Ratio | ≥ 1.5 | ≥ 3.4 | ≥ 9.0 | ≥ 32.0 |
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| Hazards Ratio | ≥ 1.3 | ≥ 2.0 | ≥ 4.0 | ≥ 10.0 |



| | First-attempt Pass on the BOC exam | |
|---|---|----|
| | Yes | No |
| First-year gGPA ≥ 3.45 | 71 | 9 |
| First-year gGPA < 3.45 | 19 | 20 |
| Fisher's Exact Test (one-sided) p < 0.001 | | |
| Sn = 0.79 (95% CI: 0.69, 0.86) | Sp = 0.69 (95% CI: 0.51, 0.83) | |
| OR = 8.30 (95% CI: 3.26, 21.16) | RFS = 1.82 (95% CI: 1.49, 2.23) | |
| +LR = 2.54 (95% CI: 1.46, 4.42) | -LR = 0.36 (95% CI: 0.192, 0.489) | |

Potential Predictors for PMATP Success

(Major Categories Only)

- Academic Profile of Undergraduate Institution (APUI)
- Basic Carnegie classification categories
- Undergraduate institution size and setting
- Advanced math & science courses
- Number of adv. science courses
- Number of AT courses
- Adv. math, science, & AT courses
- uGPA
- GRE Scores
- Public-Private Institution
- Residency
 - In-state vs. Out-of-state

39 original variables investigated

Multicollinearity

- When 2 or more predictors in a regression model are highly linearly related
- Outcome parameter for multicollinearity is Tolerance & Variance Inflation Factor (VIF)
 - Tolerance values close to zero = multicollinearity
 - VIF = values of > 10 = multicollinearity
- Multicollinearity helped reduce the number of predictors from 39 to 9

Predictor Variables for PMATP Success

Origin Set of Predictors

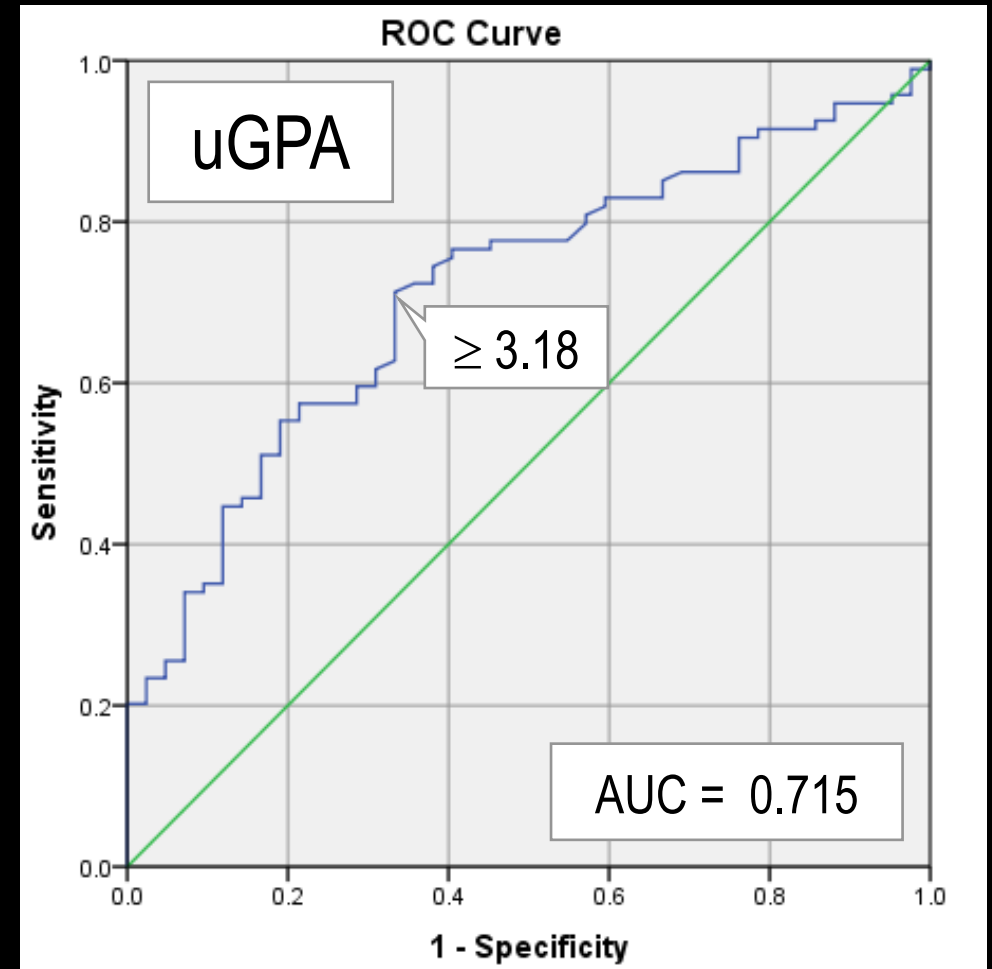
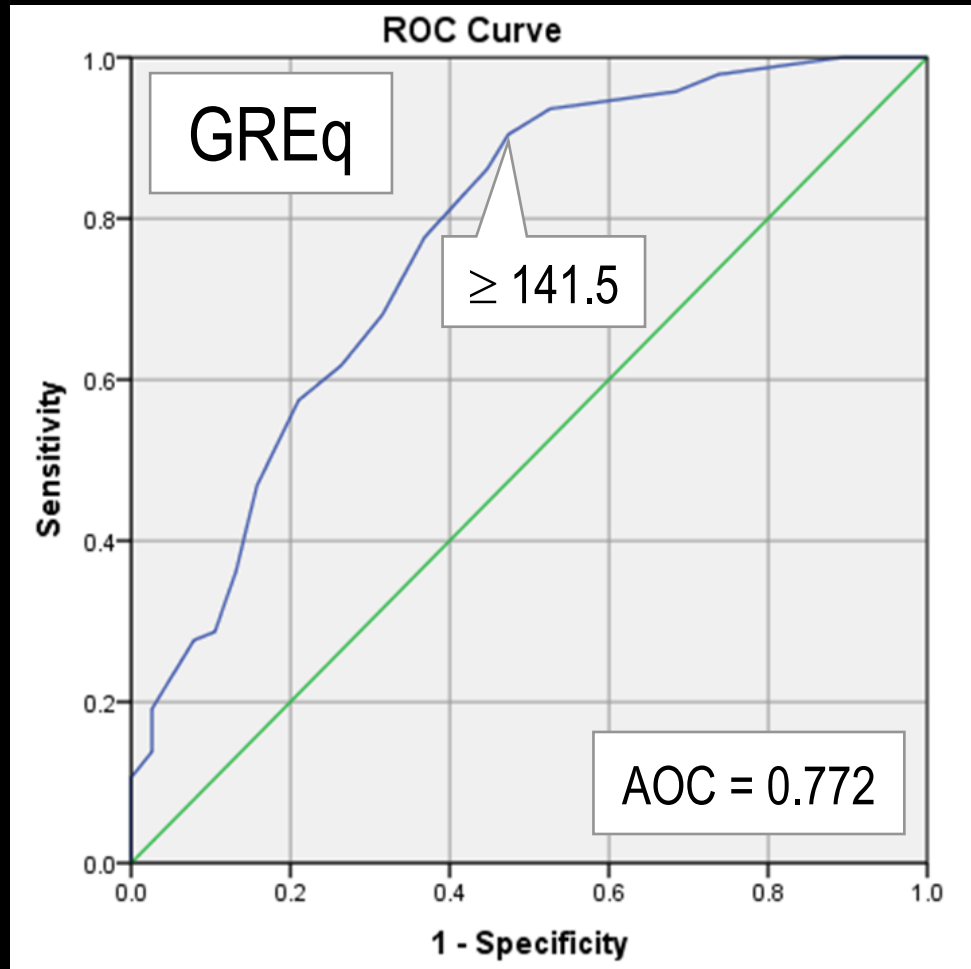
- Number of math & science courses
- Research Intensive = 1; Others = 0
- High APUI
- uGPA
- GRE_v
- GRE_q
- GRE_{wr}
- Physics: 1 = Yes; 0 = No
- Calculus: 1 = Yes; 0 = No

Final Set of Predictors

- uGPA
- GRE_q
- Calculus

- “Original Set of Predictors” is after multicollinearity analysis which were then entered into the logistic regression.
- The “Final Set of Predictors” were what predictors were left after logistic regression

ROC Curves for GREq & uGPA (for cut-pts)



Tables for Individual Variables

| Association | Small | Moderate | Large | Very Large |
|---|-------|----------|--------|------------|
| Odds Ratio | ≥ 1.5 | ≥ 3.4 | ≥ 9.0 | ≥ 32.0 |
| Relative Risk/Relative Frequency of Success | ≥ 1.1 | ≥ 1.4 | ≥ 2.0 | ≥ 3.3 |
| + Likelihood Ratio | ≤ 5.0 | ≤ 10.0 | > 10.0 | |
| - Likelihood Ratio | ≤ 0.5 | ≤ 0.2 | < 0.1 | |
| Hazards Ratio | ≥ 1.3 | ≥ 2.0 | ≥ 4.0 | ≥ 10.0 |

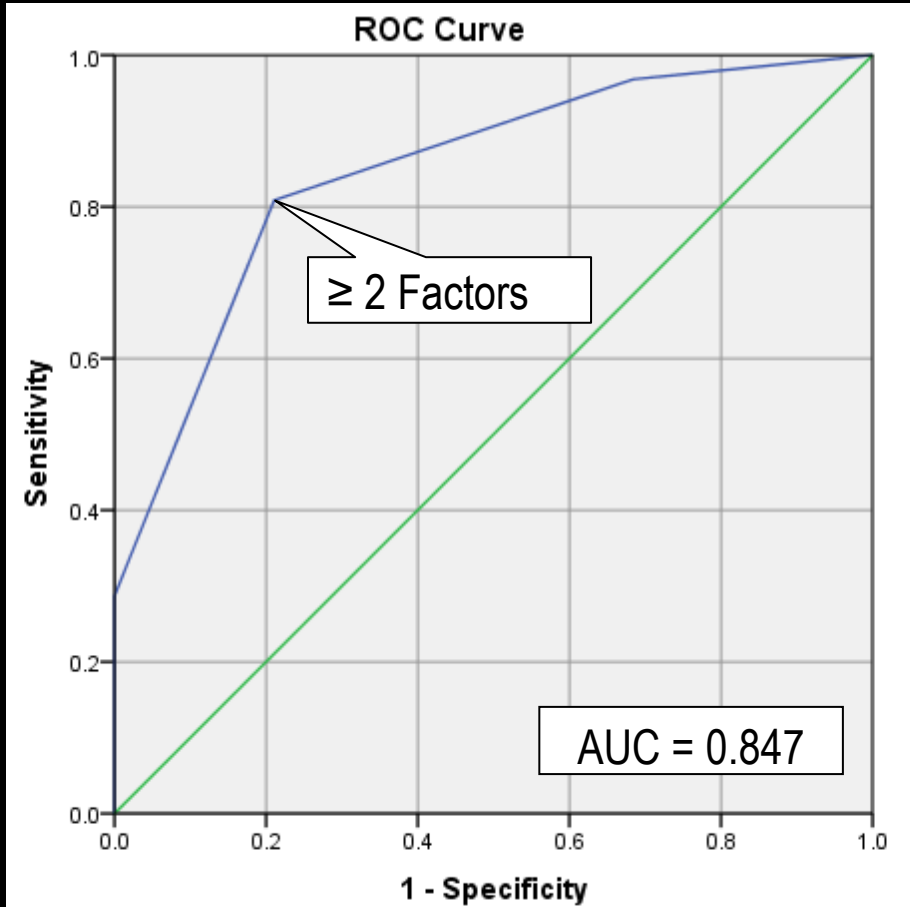
| | 1st Year gGPA ≥ 3.45 | 1st Year gGPA < 3.45 | | 1st Year gGPA ≥ 3.45 | 1st Year gGPA < 3.45 | | 1st Year gGPA ≥ 3.45 | 1st Year gGPA < 3.45 |
|------------------------------|-------------------------|-------------------------|-----------------------------|-------------------------|-------------------------|----------------------------------|-------------------------|-------------------------|
| GREq = ≥ 141.5 | 85 | 18 | uGPA = ≥ 3.18 | 68 | 15 | Took Calculus | 41 | 3 |
| GREq = < 141.5 | 9 | 20 | uGPA = < 3.18 | 26 | 27 | Did not take Calculus | 53 | 39 |

Fisher's Exact Test (one-sided) $p < 0.001$ for all 3 factors

| | | | | | |
|--------------|----------------------------|--|---------------------------|--|----------------------------|
| Sn (95% CI) | 0.90 (0.84, 0.95) | | 0.72 (0.63, 0.80) | | 0.44 (0.34, 0.54) |
| Sp (95% CI) | 0.53 (0.37, 0.68) | | 0.64 (0.49, 0.77) | | 0.93 (0.81, 0.98) |
| OR (95% CI) | 10.49 (4.11, 26.78) | | 4.71 (2.17, 10.23) | | 10.06 (2.90, 34.86) |
| RFS (95% CI) | 2.66 (2.17, 3.26) | | 1.67 (1.36, 2.05) | | 1.62 (1.32, 1.98) |
| +LR (95% CI) | 1.91 (1.36, 2.86) | | 2.03 (1.33, 3.10) | | 6.11 (2.00, 18.61) |
| -LR (95% CI) | 0.182 (0.09, 0.36) | | 0.430 (0.29, 0.64) | | 0.607 (0.50, 0.74) |

Optimum Number of Predictors for PMATP Success

| Association | Small | Moderate | Large | Very Large |
|---|-------|----------|--------|------------|
| Odds Ratio | ≥ 1.5 | ≥ 3.4 | ≥ 9.0 | ≥ 32.0 |
| Relative Risk/Relative Frequency of Success | ≥ 1.1 | ≥ 1.4 | ≥ 2.0 | ≥ 3.3 |
| + Likelihood Ratio | ≤ 5.0 | ≤ 10.0 | > 10.0 | |
| - Likelihood Ratio | ≤ 0.5 | ≤ 0.2 | < 0.1 | |
| Hazards Ratio | ≥ 1.3 | ≥ 2.0 | ≥ 4.0 | ≥ 10.0 |



uGPA ≥ 3.18; GREq ≥ 141.5; Student took calculus

| | First-year gGPA ≥ 3.45 | First-year gGPA ≥ 3.45 |
|-------------|---------------------------|---------------------------|
| ≥ 2 Factors | 76 | 8 |
| < 2 Factors | 18 | 34 |

Fisher's Exact Test (one-sided): $p < 0.001$

Sn = 0.81
(95% CI: 0.72, 0.88)

Sp = 0.81
(95% CI: 0.67, 0.90)

OR = **17.94**
(95% CI: 7.11, 45.29)

RFS = **2.61**
(95% CI: 2.13, 3.20)

+LR = 4.25
(95% CI: 2.26, 7.98)

-LR = 0.237
(95% CI: 0.152, 0.367)

Specific Number of Factors for Prediction of PMATP Success

| Number of Positive Factors | gGPA ≥ 3.45 | gGPA < 3.45 | Total | % | % above/ below cut point |
|----------------------------|------------------|---------------|------------|------------|--------------------------|
| 0 | 3 | 16 | 19 | 16% | 18/52 = 35% |
| 1 | 15 | 18 | 33 | 45% | |
| 2 | 49 | 9 | 57 | 86% | 76/84 = 91% |
| 3 | 27 | 0 | 27 | 100% | |
| Total | 94 | 42 | 136 | 70% | |

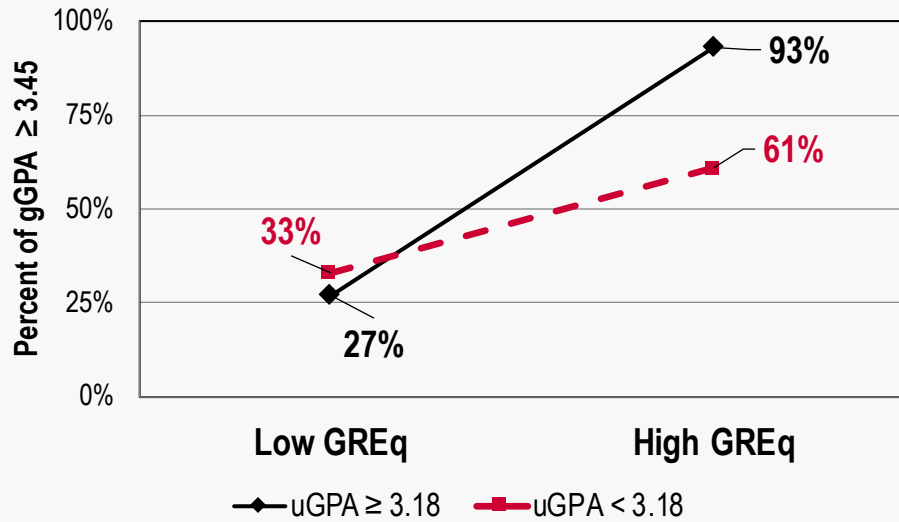
Interaction Effects

Comparison of Odds Ratios for Predictor Variables

| | Univariable OR | Multivariable Adj OR |
|-----------------|--------------------------------|--------------------------------|
| uGPA | 4.71 (95% CI: 2.17, 10.23) | 7.62 (95% CI: 2.63, 22.13) |
| GREq | 10.49 (95% CI: 4.11, 26.78) | 7.68 (95% CI: 2.48, 23.76) |
| Calculus | 10.06 (95% CI: 2.90, 34.86) | 11.77 (95% CI: 2.66, 52.11) |

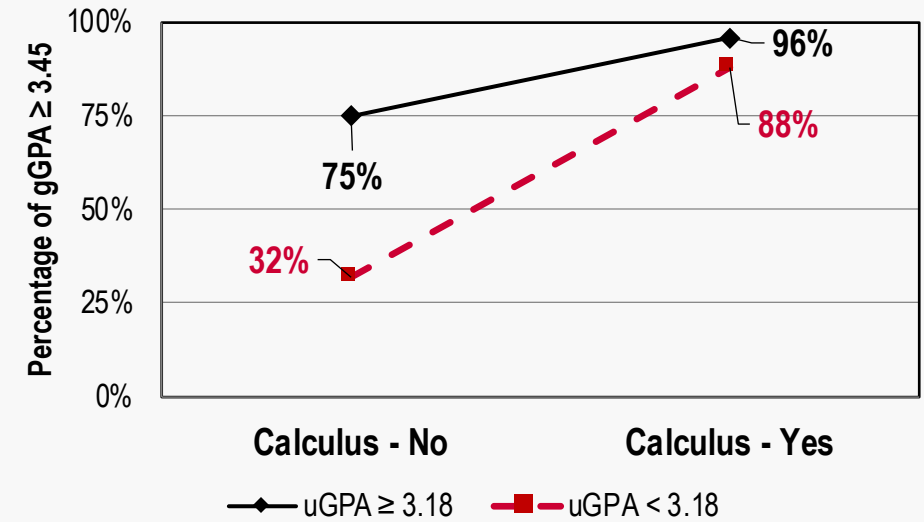
- An interaction btw uGPA & GREq is suggested by the differences btw the univariable OR & the corresponding multivariable adjusted OR
- Relatively little change btw the univariable OR & the corresponding multivariable adj. OR for taking calculus

GREq X uGPA for prediction of PMATP success



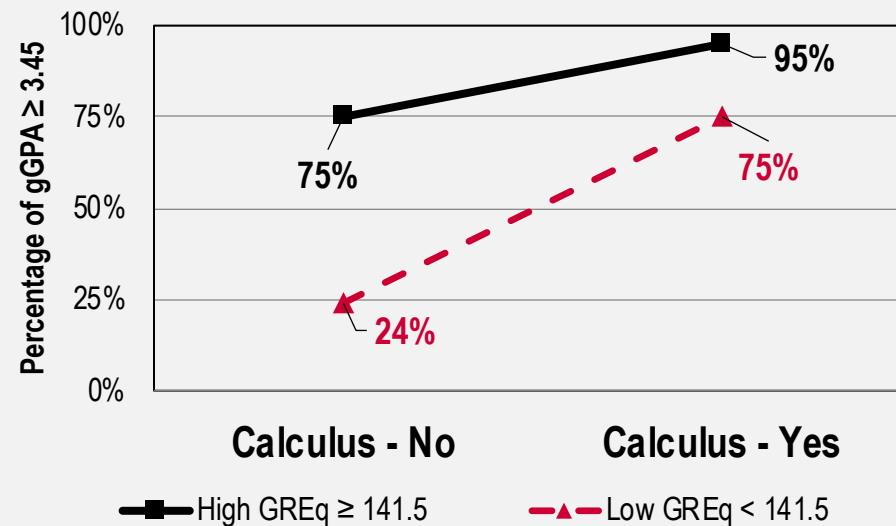
A.

Calculus X uGPA for prediction of PMATP success



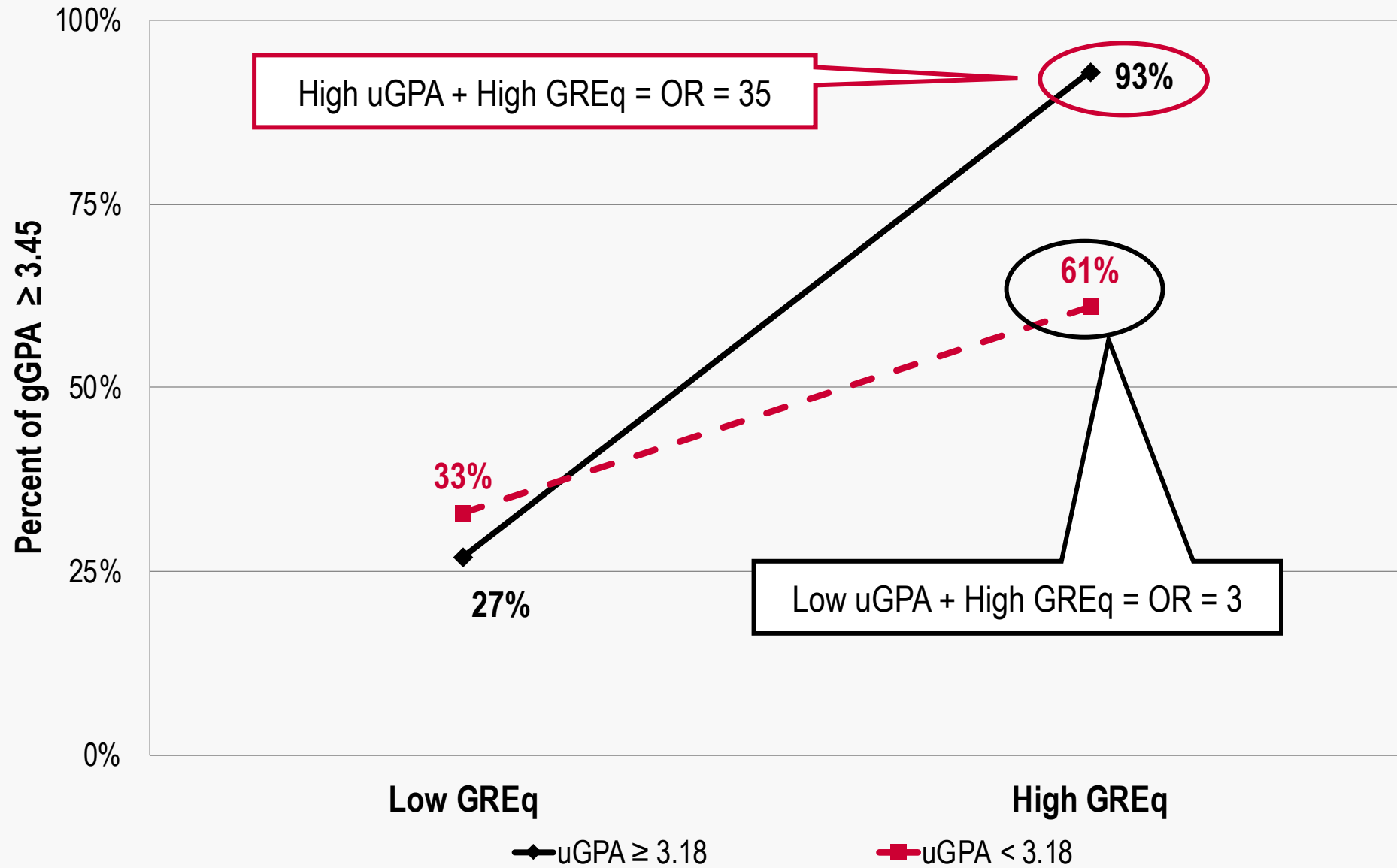
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Calculus X GREq for prediction of PMATP success



C.

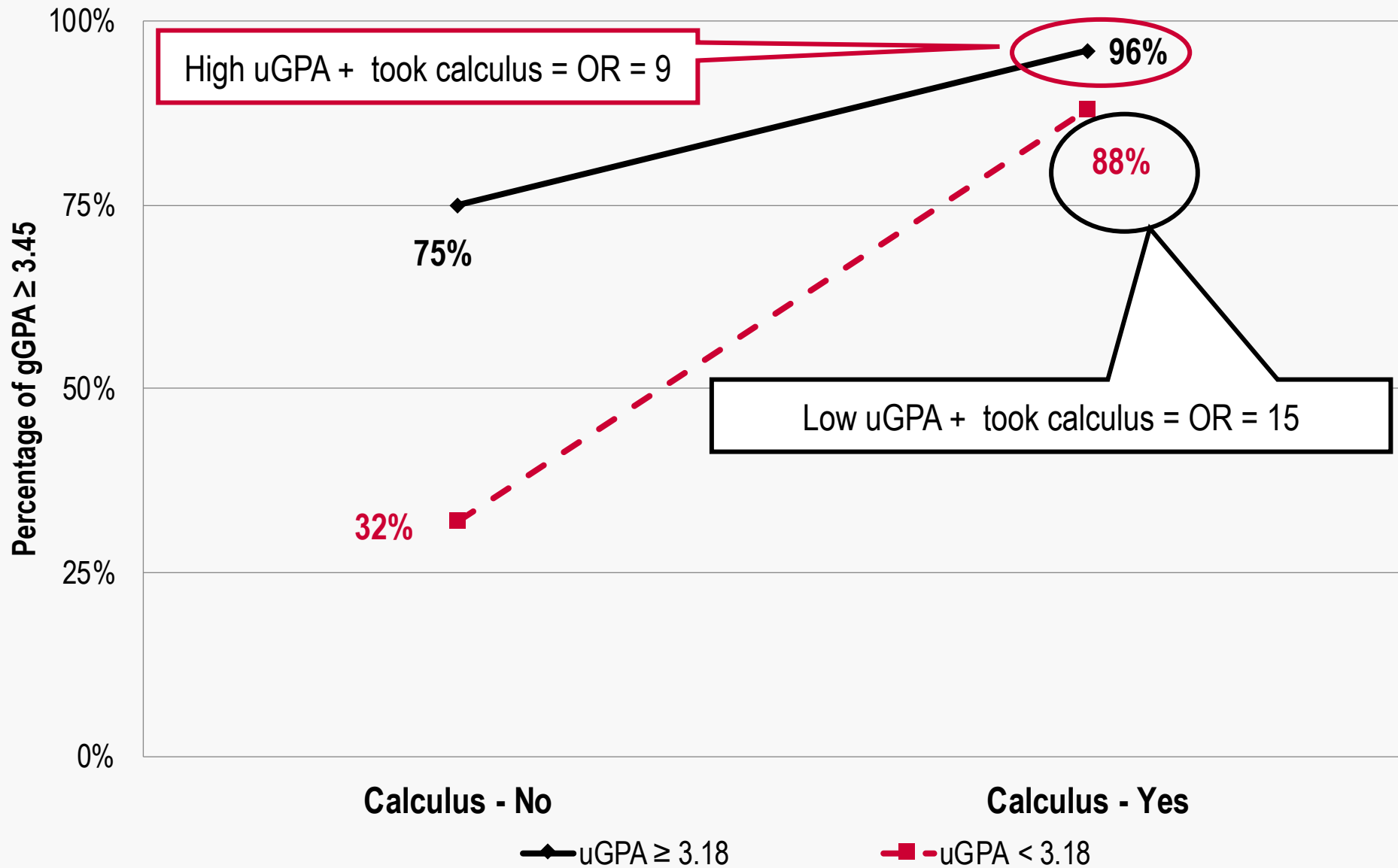
GREq X uGPA for prediction of PMATP success



Effect of GREq X uGPA & PMATP Success

- Controlling for uGPA strata (≥ 3.18 vs. < 3.18):
 - Relationship btw GREq and being successful in the PMATP was examined
 - Mantel-Haenszel $OR_{est} = 6.5$ (95% CI: 2.59, 16.52)
 - There is statistically significant association between GREq and PMATP success
 - Mantel-Haenszel $\chi^2(1) = 18.62$; ($p < 0.001$)
 - The null hypothesis for the Breslow-Day test assumes that the ORs for GREq predicting PMATP success is equivalent for uGPA strata
 - Breslow-Day test for homogeneity found the ORs to be significantly different for the two strata of uGPA
 - Breslow-Day $\chi^2(1) = 6.05$; ($p = 0.014$)

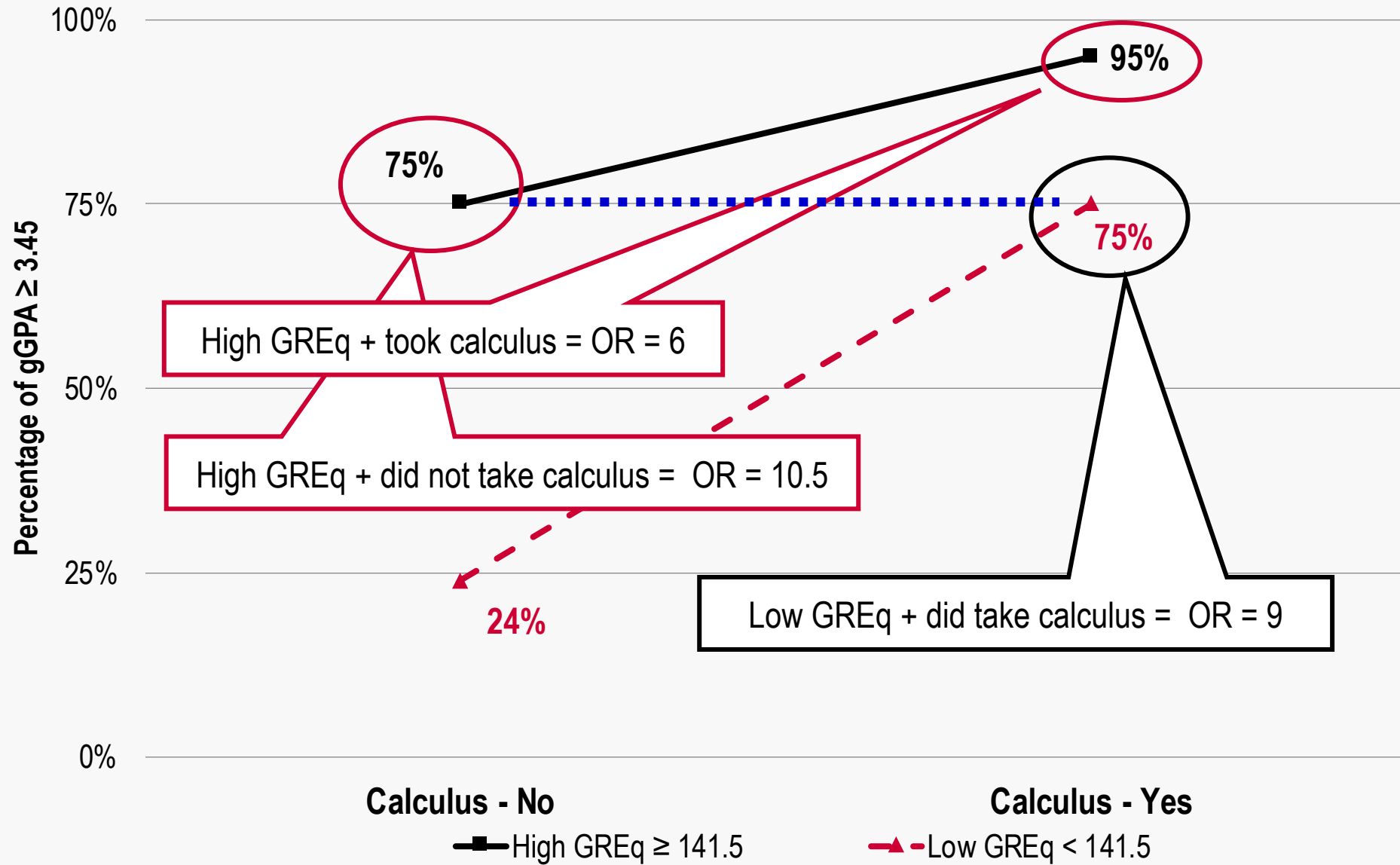
Calculus X uGPA for prediction of PMATP success



Effect of Calculus X uGPA & PMATP Success

- Controlling for uGPA strata (≥ 3.18 vs. < 3.18):
 - Relationship btw taking calculus and being successful in the PMATP was examined
 - Mantel-Haenszel $OR_{est} = 11.8$ (95% CI: 3.71, 44.12)
 - There is statistically significant association between taking calculus and PMATP success
 - Mantel-Haenszel $\chi^2(1) = 16.76$; ($p < 0.001$)
 - The null hypothesis for the Breslow-Day test assumes that the ORs for taking calculus predicting PMATP success is equivalent for uGPA strata
 - The Breslow-Day test for homogeneity found the ORs to not be significantly different from one another
 - Breslow-Day $\chi^2(1) = 0.12$; ($p = 0.730$)

Calculus X GREq for prediction of PMATP success



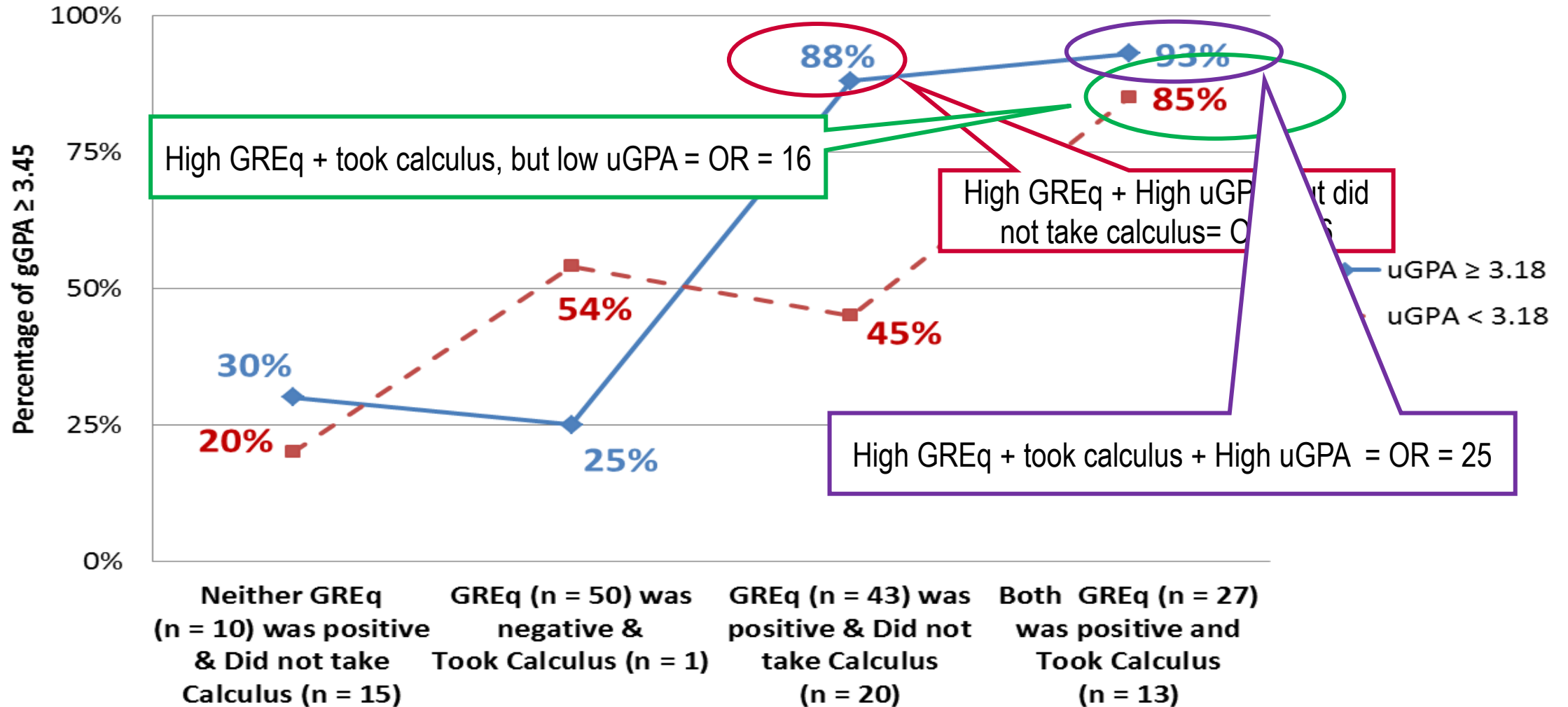
Effect of Calculus X GREq & PMATP Success

- Controlling for GREq (≥ 141.5 vs. < 141.5):
 - Relationship btw taking calculus and being successful in the PMATP was examined
 - Mantel-Haenszel $OR_{est} = 10$ (95% CI: 3.29, 24.49)
 - There is statistically significant association between taking calculus and PMATP success
 - Mantel-Haenszel $\chi^2(1) = 18.85$; $p < 0.001$)
 - The null hypothesis for the Breslow-Day test assumes that the ORs for taking calculus predicting PMATP success is equivalent for GREq strata
 - The Breslow-Day test for homogeneity found the ORs to not be significantly different from one another
 - Breslow-Day $\chi^2(1) = 0.07$; ($p = 0.791$)

Three-way Interactions

3-way interaction of GREq X Calculus X uGPA for prediction of PMATP Success

3-way Interaction of GREq X Calculus X uGPA



Are you here yet?



THANK YOU!!!



Jeremiah 29:11

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